# MATHEMATICS COMPLEMENTARY ELECTIVE COURSES FOR BSc PHYSICS PROGRAMME 

## COMPLEMENTARY ELECTIVE COURSE 1: MATHEMATICS FOR PHYSICS I

| semester | COURSE CODE | $\begin{gathered} \text { HOURS } \\ \text { PER } \\ \text { WEEK } \end{gathered}$ | CREDIT | EXAM HOURS | MARKS |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  |  |  | $\begin{gathered} \text { END SEM } \\ \text { EXAM } \end{gathered}$ | INTERNAL | TOTAL |
| I | 1C01 MAT - PH | 4 | 3 | 3 | 40 | 10 | 50 |

## COURSE OUTCOMES

| CO1 | Understand the concept of Differentiation and successive <br> differentiation. |
| :---: | :--- |
| CO2 | Understand Fundamental theorem - Rolle's theorem, Lagrange's <br> mean-value theorem, Cauchy's mean-value theorem,. |
| CO 3 | Understand the Taylor's theorem, expansions of functions - <br> Maclaurin's series, expansion by use of known series |
| CO 4 | Understand the Matrices and System of Equations, Linear <br> Transformations |
| CO 5 | Understand Rank of a matrix, elementary transformations, normal <br> form of a matrix, inverse of a matrix, solution of linear system of <br> equations. |
| CO 6 | Understand Linear transformations, orthogonal transformation, <br> vectors - linear dependence |
| CO 7 | Understand Derivative of arc, curvature, Polar coordinates, <br> Cylindrical and Spherical co-ordinates |

## 1C01 MAT-PH: Mathematics for Physics I

## Unit I - Differential Calculus - Differentiation and successive differentiation (18 hours)

Text: Differential Calculus, Shanti Narayan and P. K. Mittal
Quick review of basics of differentiation - Derivatives of standard functions, rules of differentiation, parametric differentiation. (Questions should not be asked in the End Semester Examinations from the above sections for quick review) (Relevant portions from sections 4.3, 4.4, 4.5, 4.6, 4.7, 4.8, 4.9, 4.10).

Text: Higher Engineering Mathematics (41 ${ }^{\text {st }}$ edition), B.S. Grewal, Khanna Pub.
Successive differentiation, standard results, preliminary transformations, use of partial fractions, Leibnitz's theorem for the nth derivative of the product of two functions (Sections 4.1, 4.2)

## Unit II - Differential Calculus - Applications of differential Calculus

(18 hours)
Text: Higher Engineering Mathematics (41 ${ }^{\text {st }}$ edition), B.S. Grewal, Khanna Pub.
Fundamental theorem - Rolle's theorem, Lagrange's mean-value theorem, Cauchy's mean-value theorem, Taylor's theorem (Generalised mean value theorem)(without proof), expansions of functions - Maclaurin's series, expansion by use of known series, Taylor's series, Indeterminate forms - form $0 / 0$, form $\infty / \infty$, form reducible to $0 / 0$ form - form $0 . \infty$, form $\infty-\infty$, forms $0^{0}, 1^{\infty}$, $\infty^{0}$. (Sections 4.3, 4.4, 4.5)

Unit III - Linear Algebra - Matrices and System of Equations, Linear Transformations
(20 hours)
Text: Higher Engineering Mathematics (41 ${ }^{\text {st }}$ edition), B.S. Grewal, Khanna Pub.
Rank of a matrix, elementary transformation of a matrix, equivalent matrix,s elementary matrices, Gauss-Jordan method of finding the inverse, normal form of a matrix, partition method of finding the inverse, solution of linear system of equations - method of determinants - Cramer's rule, matrix inversion method, consistency of linear system of equations, Rouche's theorem, procedure to test the consistency of a system of equations in $n$ unknowns, system of linear homogeneous equations. Linear transformations, orthogonal transformation, vectors - linear dependence
(Sections 2.7, 2.8, 2.9, 2.10, 2.11, 2.12)

Unit IV - Curvature and Geometry
(16 hours)
Text: Higher Engineering Mathematics (41 ${ }^{\text {st }}$ edition), B.S. Grewal, Khanna Pub.
Derivative of arc, curvature (radius of curvature only for Cartesian curve $\mathrm{y}=\mathrm{f}(\mathrm{x})$ ), centre of curvature
(Sections 4.9, 4.10, 4.11, 4.12)
Text: Thomas’ Calculus ( $\mathbf{1 2}^{\text {th }}$ edition), Maurice D. Weir and Joel Hass, Pearson India Education Services.
Polar coordinates, Cylindrical and spherical co-ordinates
(Section 11.3, relevant portions from section 15.7).

## References

1. Differential and Integral Calculus, S. Narayanan and T.K.M. Pillay, S. Viswanathan Printers and Publishers, Chennai.
2. Text of Matrices, Shanti Narayan and P.K. Mittal, S. Chand \& Co.
3. Theory of and Problems of Matrices, Frank Ayres JR, Schaum's Outline Series, McGraw- Hill Book Company.
4. Advanced Engineering Mathematics ( $10^{\text {th }}$ edition), E. Kreyszig, Wiley.
5. Calculus ( $10^{\text {th }}$ edition), Anton, Bivens, Davis, Wiley-India.

Marks including choice

| Unit | Marks in End Semester <br> Examination |  |
| :---: | :---: | :---: |
|  | Aggregate Marks | Maximum <br> Marks |
| I | 18 |  |
| II | 16 | $\mathbf{4} 40$ |
| III | 18 |  |
| IV | 14 |  |
| Total | $\mathbf{6 6}$ |  |

## Pattern of Question Paper

Part A Short answer (5 questions x Mark 1each = 5)

- Answer any 4 questions (4 questions $x$ Mark leach $=4$ )

Part B - $\quad$ Short Essay $\quad(11$ questions x Marks 2 each $=22$ )

- Answer any 7 questions ( 7 questions $x$ Marks 2 each=14)

Part C Essay ( 7 questions x Marks 3 each =28)

- Answer any 4 questions ( 4 questions $x$ Marks 3 each=12)

Part D - Long Essay (4 questions x Marks 5 each = 20)

- Answer any 2 questions ( 2 questions $x$ Marks 5 each=10).


## COMPLEMENTARY ELECTIVE COURSE 2: MATHEMATICS FOR PHYSICS II

| SEMESTER | COURSE CODE | HOURS <br> PER <br> WEEK | CREDIT | EXAM <br> HOURS | MARKS |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | END SEM <br> EXAM | INTERNAL | TOTAL |  |  |  |
| II | 2C02 MAT - <br> PH | 4 | 3 | 3 | 40 | 10 | 50 |

## COURSE OUTCOMES

| CO 1 | Understand partial derivatives, homogeneous functions, Euler's <br> theorem, total derivative, differentiation of implicit functions, <br> change of variables |
| :---: | :--- |
| CO 2 | Understand Integration and Integration by Successive Reduction, <br> Integration of Trigonometric Functions |
| CO 3 | Comprehend Applications of Integration |
| CO 4 | Comprehend Eigen values, Eigen vectors, properties of Eigen <br> values, |
| CO 5 | Understand Cayley- Hamilton theorem, Diagonal form, similarity <br> of matrices, powers of a matrix, canonical form, nature of a <br> quadratic form |

## 2C02 MAT-PH: Mathematics for Physics II

Unit I - Differential Calculus - Partial Differentiation
(18 hours)
Text: Differential Calculus, Higher Engineering Mathematics (41 ${ }^{\text {st }}$ edition), B.S. Grewal, Khanna Pub.
Functions of two or more variables, limits, continuity, partial derivatives, homogeneous functions, Euler's theorem on homogeneous functions, total derivative, differentiation of implicit functions, change of variables.
(Sections 5.1, 5.2, 5.4, 5.5, 5.6)

## Unit II - Integral Calculus - Integration and Integration by Successive

 Reduction(18 hours)
Text: Thomas' Calculus ( $\mathbf{1 2}^{\text {th }}$ edition), Maurice D. Weir and Joel Hass, Pearson India Education Services.
Quick review of basics of Integration (Questions should not be asked in the End Semester Examinations from the above sections for quick review)
(Sections 8.1, 8.2, 8.3, 8.4, 8.5)
Text: Integral Calculus, Santhi Narayanan and P.K. Mittal
Integration of Trigonometric Functions: Integration of $\sin ^{n} x$ where $n$ is a positive integer, Integration of $\sin ^{n} x$, evaluation of the definite integral $\int_{0}^{\frac{\pi}{2}} \sin ^{n} x d x$, Integration of $\cos ^{n} x$, evaluation of the definite integral $\int_{0}^{\frac{\pi}{2}} \cos ^{n} x d x$, Integration of $\sin ^{p} x \cos ^{q} x_{1}$ evaluation of the definite integral $\int_{0}^{\frac{\pi}{2}} \sin ^{p} x \cos ^{q} x d x$, integration of $\tan ^{n} x$, integration of $\cot ^{n} x$, integration of $\sec ^{n} x$, integration of $\operatorname{cosec}^{n} x$
(Sections 4.1, 4.1.1, 4.2, 4.2.1, 4.3, 4.3.1, 4.4.1, 4.4.2, 4.5.1, 4.5.2)
Unit III - Integral Calculus - Applications of Integration (18 hours)
Text: Thomas’ Calculus ( $12{ }^{\text {th }}$ edition), Maurice D. Weir and Joel Hass, Pearson India Education Services.
Substitutions and the area between curves, volumes using cross sections, arc length, areas of surfaces of revolution, areas and length in polar coordinates (Section 5.6, 6.1, 6.3, 6.4, 11.5)

## Unit IV - Linear Algebra - Eigen Values and Cayley Hamilton Theorem

 (18 hours)Text: Higher Engineering Mathematics (41 ${ }^{\text {st }}$ edition), B.S. Grewal, Khanna Pub.
Eigen values, eigen vectors, properties of eigen values, Cayley- Hamilton theorem (without proof), reduction to diagonal form, similarity of matrices,
powers of a matrix, reduction of quadratic form to canonical form, nature of a quadratic form.
(Sections 2.13, 2.14, 2.15, 2.16, 2.17, 2.18).

## References

1. Differential and Integral Calculus, S. Narayanan and T.K.M. Pillay, S. Viswanathan Printers and Publishers, Chennai.
2. Text of Matrices, Shanti Narayan and P.K. Mittal, S. Chand \& Co.
3. Theory of and Problems of Matrices, Frank Ayres JR, Schaum's Outline Series, McGraw- Hill Book Company.
4. Advanced Engineering Mathematics (10 edition), E. Kreyszig, Wiley.
5. Calculus ( $10^{\text {th }}$ edition), Anton, Bivens, Davis, Wiley-India

## Marks including choice

| Unit | Marks in End Semester <br> Examination |  |
| :---: | :---: | :---: |
|  | Aggregate Marks | Maximum <br> Marks |
| I | 16 |  |
| II | 16 | $\mathbf{4 0}$ |
| III | 16 |  |
| IV | 18 |  |
| Total | $\mathbf{6 6}$ |  |

Pattern of Question Paper

| Part A - | Short answer <br> - Answer any 4 questions | $\begin{aligned} & (5 \text { questions } \times \text { Mark leach }=5) \\ & (4 \text { questions } \times \text { Mark leach }=4) \end{aligned}$ |
| :---: | :---: | :---: |
| Part B - | Short Essay <br> - Answer any 7 questions | $(11$ questions $x$ Marks 2 each $=22)$ <br> (7 questions $x$ Marks 2 each=14) |
| Part C - | Essay <br> - Answer any 4 questions | $\begin{aligned} & (7 \text { questions x Marks } 3 \text { each }=28) \\ & (4 \text { questions } x \text { Marks } 3 \text { each }=12 \text { ) } \end{aligned}$ |
| Part D - | Long Essay <br> - Answer any 2 questions | $\begin{aligned} & (4 \text { questions } \times \text { Marks } 5 \text { each }=20) \\ & (2 \text { questions } x \text { Marks } 5 \text { each }=10) \text {. } \end{aligned}$ |

## COMPLEMENTARY ELECTIVE COURSE 3:

MATHEMATICS FOR PHYSICS III

| SEMESTER | COURSE CODE | HOURS <br> PER <br> WEEK | CREDIT | EXAM <br> HOURS | MARKS |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | END SEM <br> EXAM | INTERNAL | TOTAL |  |  |  |
| III | 3C03 MAT <br> PH | 5 | 3 | 3 | 40 | 10 | 50 |

COURSE OUTCOMES

| CO1 | Understand the concept of Multiple Integrals and solves <br> problems |
| :---: | :--- |
| CO2 | Understand Vector Differentiation |
| CO3 | Understand Laplace Transforms and its Applications |
| $\mathbf{C O 4}$ | Understand Fourier Series and Half range expansions |

## 3C03 MAT-PH: Mathematics for Physics III

Unit I - Integral Calculus - Multiple Integrals
(26 hours)
Text: Thomas’ Calculus ( $12{ }^{\text {th }}$ edition), Maurice D. Weir and Joel Hass, Pearson India Education Services.

Double and Iterated Integrals over rectangles, double integrals over general regions, area by double integration, double integrals in polar form, triple integrals in rectangular co-ordinates, substitutions in multiple integrals (Sections 15.1, 15.2, 15.3, 15.4, 15.5, 15.8)

Unit II - Vector Calculus - Vector Differentiation (22 hours)
Text: Thomas' Calculus ( $12{ }^{\text {th }}$ edition), Maurice D. Weir and Joel Hass, Pearson India Education Services.

Lines and planes in space, curves in space and their tangents, curvature and normal vector of a curve, tangential and normal components of acceleration, directional derivatives and gradient vectors.
(Sections 12.5, 13.1, 13.3 to $13.5,14.5$ )

Unit III - Laplace Transforms and its Applications
(24 hours)
Text: Advanced Engineering Mathematics (10 ${ }^{\text {th }}$ edition), E. Kreyszig, Wiley.
Laplace Transforms: Laplace Transform, Linearity, first shifting theorem ( $s$ Shifting), Transforms of Derivatives and Integrals, ODEs, Unit step Function, second shifting theorem ( $t$ - Shifting), Convolution, Integral Equations, Differentiation and integration of Transforms, special linear ODE's with variable coefficients, Systems of ODEs, Laplace Transform, General Formulas, Table of Laplace Transforms.
(Chapter 6 Sections 6.1, 6.2, 6.3, 6.5, 6.6, 6.7, 6.8, 6.9)(Proofs are omitted)

## Unit IV - Fourier Series

(18 hours)
Text: Advanced Engineering Mathematics (10 ${ }^{\text {th }}$ edition), E. Kreyszig, Wiley.
Fourier Series Fourier series, arbitrary period, , Even and Odd functions, Half-range Expansions. (Proofs are omitted)
(Chapter 11 Sections 11.1, 11.2)

## References

1. Introduction to Vector Analysis, H. F. Davis and Arthur David Snider, Universal Book Stall, New Delhi.
2. Vector Analysis, M. R. Spiegel, Schaum's Outline Series, Asian Student edition
3. Vector Calculus, F.W. Bedford and T.D. Dwivedi, McGraw Hill.
4. Higher Engineering Mathematics ( $41^{\text {st }}$ edition), B.S. Grewal, Khanna Pub.

Marks including choice

| Unit | Marks in End Semester <br> Examination |  |
| :---: | :---: | :---: |
|  | Aggregate Marks | Maximum <br> Marks |
| I | 18 |  |
| II | 16 | $\mathbf{4 0}$ |
| III | 18 |  |
| IV | 14 |  |
| Total | $\mathbf{6 6}$ |  |

## Pattern of Question Paper

| Part A - | Short answer | (5 questions x Mark leach = 5) |
| :---: | :---: | :---: |
| Part B - | - Answer any 4 questions Short Essay | (4 questions x Mark leach $=4$ ) <br> (11 questions x Marks 2 each $=22$ ) |
|  | - Answer any 7 questions | (7 questions $x$ Marks 2 each=14) |
| Part C- | Essay | (7 questions $\times$ Marks 3 each $=28$ ) |
|  | - Answer any 4 questions | ( 4 questions $x$ Marks 3 each=12) |
| Part D - | Long Essay | (4 questions x Marks 5 each $=20$ ) |
|  | - Answer any 2 questions | ( 2 questions $x$ Marks 5 each=10). |

## COMPLEMENTARY ELECTIVE COURSE 4: MATHEMATICS FOR PHYSICS IV

| SEMESTER | COURSE CODE | HOURS <br> PER <br> WEEK | CREDIT | EXAM | MARKS |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  | END SEM <br> EXAM |  |  | INTERNAL | TOTAL |
| IV | 4C04 MAT - PH | 5 | 3 | 3 | 40 | 10 | 50 |

COURSE OUTCOMES

| CO1 | Understand Wave Equation, Solution by Separating Variables, <br> D-Alembert's solution of the wave equation. |
| :---: | :--- |
| $\mathbf{C O 2}$ | Understand Heat Equation and Solution by Fourier Series |
| $\mathbf{C O 3}$ | Understand Line integrals, , path independence, conservative fields <br> and potential functions, Green's theorem in the plane |
| $\mathbf{C O 4}$ | Understand Surface area, surface integrals, Stoke's theorem, <br> Divergence theorem |
| $\mathbf{C O 5}$ | Understand Numerical Integration, Trapezoidal Rule, Simpson's <br> 1/3-Rule |
| $\mathbf{C O 6}$ | Understand Numerical Solutions of Ordinary Differential <br> Equations by Taylor's series, Euler's method, Modified Euler's <br> method, Runge-Kutta methods. |

## 4C04 MAT-PH: Mathematics for Physics IV

## Unit I - Partial differential Equations

(20 hours)
Text: Advanced Engineering Mathematics (10 ${ }^{\text {th }}$ edition), E. Kreyszig, Wiley.
Basic Concepts, Modeling: Vibrating String, Wave Equation,
Solution by Separating Variables, Use of Fourier Series, D-Alembert's solution of the wave equation, Heat Equation, Solution by Fourier Series.
(Chapter 12 sections 12.1, 12.2, 12.3, 12.4, 12.5, 12.6)
(Excluding steady two dimensional heat problems and Laplace equation of 12.5).

Unit II - Vector Calculus - Vector Integration
(22 hours)
Text: Thomas' Calculus ( $\mathbf{1 2}^{\text {th }}$ edition), Maurice D. Weir and Joel Hass, Pearson India Education Services.
Line integrals (mass, moment and moment of inertia are excluded), vector fields and line integrals: work, circulation and flux, path independence, conservative fields and potential functions, Green's theorem in the plane (Proof of Green's theorem is excluded)
(Sections 16.1, 16.2,16.3,16.4)
Unit III - Vector Calculus - Vector Integration
(24 hours)
Text: Thomas' Calculus ( $12^{\text {th }}$ edition), Maurice D. Weir and Joel Hass, Pearson India Education Services.
Surfaces and area, surface integrals, Stoke's theorem, the divergence theorem and unified theory (Gauss's Law: One of the four great laws of Electromagnetic Theory, continuity equation of Hydrodynamics, Unifying the integral theorems are excluded) (Proofs of all theorems are excluded)
(Sections16.5, 16.6, 16.7, 16.8)

## Unit IV - Numerical Analysis

(24 hours)
Text: Introductory Methods of Numerical Analysis (fifth edition), S.S. Sastry PHI Learning.
Numerical Integration: Numerical Integration, Trapezoidal Rule, Simpson's 1/3-Rule
(Chapter 6 Sections 6.4, 6.4.1, 6.4.2)
Numerical Solutions of Ordinary Differential Equations: Introduction, Solution by Taylor's series, Euler's method, Modified Euler's method, RungeKutta methods.
(Sections 8.1, 8.2, 8.4, 8.4.2, 8.5)

## References

1. Introduction to Vector Analysis, H. F. Davis and Arthur David Snider, Universal Book Stall, New Delhi.
2. Vector Analysis, M. R. Spiegel, Schaum's Outline Series, Asian Student edition
3. Vector Calculus, F.W. Bedford and T.D. Dwivedi, McGraw Hill.
4. Higher Engineering Mathematics ( $41^{\text {st }}$ edition), B.S. Grewal, Khanna Pub.
5. Mathematical methods, S. R. K. Iyengar and R. K. Jain, Narosa Pub.

## Marks including choice

| Unit | Marks in End Semester <br> Examination |  |
| :---: | :---: | :---: |
|  | Aggregate Marks | Maximum <br> Marks |
| I | 16 |  |
| II | 16 | $\mathbf{4 0}$ |
| III | 16 |  |
| IV | 18 |  |
| Total | $\mathbf{6 6}$ |  |

## Pattern of Question Paper

| Part A - | Short answer | $(5 \text { questions } x \text { Mark leach }=5)$ |
| :---: | :---: | :---: |
|  | - Answer any 4 questions | (4 questions x Mark leach = 4) |
| Part B- | Short Essay | $(11$ questions x Marks 2 each $=22$ ) |
|  | - Answer any 7 questions | (7 questions $x$ Marks 2 each=14) |
| Part C- | Essay | (7 questions x Marks 3 each $=28$ ) |
|  | - Answer any 4 questions | ( 4 questions x Marks 3 each=12) |
| Part D - | Long Essay | (4 questions x Marks 5 each $=20$ ) |
|  | - Answer any 2 questions | ( 2 questions $x$ Marks 5 each=10). |

# MATHEMATICS COMPLEMENTARY ELECTIVE COURSES FOR BSc CHEMISTRY PROGRAMME 

## COMPLEMENTARY ELECTIVE COURSE 1: MATHEMATICS FOR CHEMISTRY I

| SEMESTER | COURSE CODE | HOURS <br> PER <br> WEEK | CREDIT | EXAM <br> HOURS | MARKS |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | END SEM <br> EXAM | INTERNAL | TOTAL |  |  |  |  |
| I | 1C01 MAT-CH | 4 | 3 | 3 | 40 | 10 | 50 |

## Course outcomes

| CO1 | Understand Successive differentiation and Leibnitz's theorem for the <br> nth derivative of the product of two functions |
| :---: | :--- |
| $\mathbf{C O 2}$ | Understand Fundamental theorem - Rolle's theorem, Lagrange's <br> mean-value theorem and Cauchy's mean value theorem. |
| $\mathbf{C O 3}$ | Understand Taylor's theorem, expansions of functions - Maclaurin's <br> series, expansion by use of known series and Taylor's series. |
| $\mathbf{C O 4}$ | Understand the method of finding limits of Indeterminate forms. |
| $\mathbf{C O 5}$ | Understand Polar, Cylindrical and Spherical co-ordinates. |
| $\mathbf{C O 6}$ | Understand Rank of a matrix, elementary transformation of a matrix, <br> equivalent matrices, elementary matrices, Gauss-Jordan method of <br> finding the inverse, normal form of a matrix and partition method of <br> finding the inverse. |
| $\mathbf{C O 7}$ | Understand solution of linear system of equations - method of <br> determinants - Cramer's rule, matrix inversion method, consistency <br> of linear system of equations, Rouche's theorem, procedure to test <br> the consistency of a system of equations in n unknowns, system of <br> linear homogeneous equations. |
| $\mathbf{C O 8}$ | Understand Linear transformations, orthogonal transformation and <br> linear dependence of vectors. |
| $\mathbf{C O 9}$ | Understand methods of curve fitting, graphical method, laws <br> reducible to the linear law, principles of least squares, method of <br> least squares and apply the principle of least squares to fit the straight <br> line y=a+bx, to fit the parabola y=a+bx+cx ${ }^{2}$, to fit y=ax ${ }^{\text {b }}$, y=ae ${ }^{\text {bx }}$ and <br> xy $=$ b |

## 1C01 MAT-CH: Mathematics For Chemistry I

## Unit I - Differential Calculus - Differentiation and successive differentiation

Text: Differential Calculus, Shanti Narayan and P.K. Mittal
Quick review of basics of differentiation - Derivatives of standard functions, rules of differentiation, parametric differentiation. (Questions should not be asked in the End Semester Examinations from the above sections for quick review) (Relevant portions from sections 4.3,4.4,4.5,4.6,4.7, 4.8,4.9,4.10)

Text: Higher Engineering Mathemaics ( $41^{\text {st }}$ edition), B.S. Grewal, Khanna Pub.
Successive differentiation, standard results, preliminary transformations, use of partial fractions, Leibnitz's theorem for the nth derivative of the product of two functions (Sections 4.1, 4.2)

UnitII : Differential Calculus - Applications of Differentiation (18 hrs) Text: Higher Engineering Mathematics (41 ${ }^{\text {st }}$ edition), B.S. Grewal, Khanna Pub.
Fundamental theorem - Rolle's theorem, Lagrange's mean-value theorem, Cauchy's mean-value theorem, Taylor's theorem (Generalised mean value theorem)(without proof), expansions of functions - Maclaurin's series, expansion by use of known series, Taylor's series, Indeterminate forms - form $0 / 0$, form $\infty / \infty$, forms reducible to $0 / 0$ form - form $0 . \infty$, form $\infty-\infty$, forms $0^{0}, 1^{\infty}$, $\infty^{0}$.

Unit III Linear Algebra - Matrices and System of Equations, Linear Transformations
(20 hrs)
Text: Higher Engineering Mathematics (41 ${ }^{\text {st }}$ edition), B.S. Grewal, Khanna Pub.
Rank of a matrix, elementary transformation of a matrix, equivalent matrix,s elementary matrices, Gauss-Jordan method of finding the inverse, normal form of a matrix, partition method of finding the inverse, solution of linear system of equations - method of determinants - Cramer's rule, matrix inversion method, consistency of linear system of equations, Rouche's theorem, procedure to test the consistency of a system of equatios in $n$ unknowns, system of linear homogeneous equations. Linear transformations, orthogonal transformation, vectors - linear dependence
(Sections 2.7, 2.8, 2.9, 2.10, 2.11, 2.12)

Unit IV Curve Fitting
(16 hrs)
Text: Higher Engineering Mathematics (41 ${ }^{\text {st }}$ edition), B.S. Grewal, Khanna Pub.
Introduction, graphical method, laws reducible to the linear law, principles of least squares, method of least squares, to fit the straight line $y=a+b x$, to fit the parabola $y=a+b x+c x^{2}$ (Sections 24.1, 24.2, 24.3, 24.4, 24.5)

## References

1. Differential and Integral Calculus, S. Narayanan and T.K.M. Pillay, S. Viswanathan Printers and Publishers, Chennai
2. Text of Matrices, Shanti Narayan and P.K. Mittal, S. Chand \& Co.
3. Theory of and Problems of Matrices, Frank Ayres JR, Schaum's Outline Series, McGraw- Hill Book Company
4. Advanced Engineering Mathematics ( $10^{\text {th }}$ edition), E. Kreyszig, Wiley
5. Calculus ( $10^{\text {th }}$ edition), Anton, Bivens, Davis, Wiley-India
6. Fundamentals of Mathematical Statistics, S.C. Gupta and V.K. Kapoor, Sultan Chand.

Marks including choice

| Unit | Marks in End Semester Examination |  |
| :---: | :---: | :---: |
|  | Aggregate Marks | Maximum <br> Marks |
| I | 16 |  |
| II | 16 |  |
| III | 20 |  |
| IV | 14 |  |
| Total | $\mathbf{6 6}$ |  |

## Pattern of Question Paper

| Part A - | Short answer <br> - Answer any 4 questions | ( 5 questions x Mark 1each $=5$ ) <br> (4 questions x Mark leach = 4) |
| :---: | :---: | :---: |
| Part B - | Short Essay <br> - Answer any 7 questions | $\begin{aligned} & (10 \text { questions x Marks } 2 \text { each }=20 \text { ) } \\ & (7 \text { questions } x \text { Marks } 2 \text { each }=14 \text { ) } \end{aligned}$ |
| Part C- | Essay <br> - Answer any 4 questions | $\begin{aligned} & (7 \text { questions } \times \text { Marks } 3 \text { each }=21) \\ & (4 \text { questions } \times \text { Marks } 3 \text { each }=12 \text { ) } \end{aligned}$ |
| Part D - | Long Essay <br> - Answer any 1 question | $\begin{aligned} & (4 \text { questions } \times \text { Marks } 5 \text { each }=20) \\ & (2 \text { questions } \times \text { Marks } 5 \text { each }=10) \end{aligned}$ |

## COMPLEMENTARY ELECTIVE COURSE 2: <br> MATHEMATICS FOR CHEMISTRY II

| SEMESTER | COURSE CODE | HOURS <br> PER <br> WEEK | CREDIT | EXAM <br> HOURS | MARKS |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | END SEM <br> EXAM | INTERNAL | TOTAL |  |  |  |  |  |
| II | 2C02 MAT-CH | $\mathbf{4}$ | $\mathbf{3}$ | $\mathbf{3}$ | $\mathbf{4 0}$ | $\mathbf{1 0}$ | $\mathbf{5 0}$ |  |

## COURSE OUTCOMES

| CO1 | Understand Functions of two or more variables, limits and continuity. |
| :--- | :--- |
| CO 2 | Understand partial derivatives, homogeneous functions, Euler's <br> theorem on homogeneous functions, total derivative, differentiation of <br> implicit functions and change of variables. |
| CO 3 | Understand Reduction formulae for trigonometric functions and <br> evaluation of definite integrals $\int_{0}^{\frac{\pi}{2}} \sin ^{n} x d x, \quad \int_{0}^{\frac{\pi}{2}} \cos ^{n} x d x$ and <br> $\int_{0}^{\frac{\pi}{2}} \sin ^{p} x \cos ^{q} x d x$. |
| CO 4 | Understand Substitutions and the area between curves, arc length, areas <br> and length in polar coordinates. |
| CO 5 | Understand Double and Iterated Integrals over rectangles, double <br> integrals over general regions, area by double integration, double <br> integrals in polar form and triple integrals in rectangular co-ordinates. |
| CO 6 | Understand Eigen values, Eigen vectors, properties of Eigen values, <br> Cayley- Hamilton theorem, reduction to diagonal form, similarity of <br> matrices, powers of a matrix, reduction of quadratic form to canonical <br> form and nature of a quadratic form |

## 2C02 MAT-CH: Mathematics for Chemistry II

Unit I - Differential Calculus - Partial Differentiation
(18 hours)
Text: Differential Calculus, Higher Engineering Mathematics (41 ${ }^{\text {st }}$ edition), B.S. Grewal, Khanna Pub.
Functions of two or more variables, limits, continuity, partial derivatives, homogeneous functions, Euler's theorem on homogeneous functions, total derivative, differentiation of implicit functions, change of variables.
(Sections 5.1, 5.2, 5.4, 5.5, 5.6)

Unit II - Integral Calculus - Integration and Integration by Successive Reduction
(18 hours)
Text: Thomas' Calculus ( $12{ }^{\text {th }}$ edition), Maurice D. Weir and Joel Hass, Pearson India Education Services
Quick review of basics of Integration (Questions should not be asked in the End Semester Examinations from the above sections for quick review)
(Sections 8.1, 8.2, 8.3, 8.4, 8.5 )
Text: Integral Calculus, Santhi Narayanan and P.K. Mittal
Integration of Trigonometric Functions: Integration of $\sin ^{n} x$ where $n$ is a positive integer, Integration of $\sin ^{n} x$, evaluation of the definite integral $\int_{0}^{\frac{\pi}{2}} \sin ^{n} x d x$, Integration of $\cos ^{n} x$, evaluation of the definite integral $\int_{0}^{\frac{\pi}{2}} \cos ^{n} x d x$, Integration of $\sin ^{p} x \cos ^{q} x$, evaluation of the definite integral $\int_{0}^{\frac{\pi}{2}} \sin ^{p} x \cos ^{q} x d x$, integration of $\tan ^{n} x$, integration of $\cot ^{n} x$, integration of $\sec ^{n} x$, integration of $\operatorname{cosec}^{n} x$
(Sections 4.1, 4.1.1, 4.2, 4.2.1, 4.3, 4.3.1, 4.4.1, 4.4.2, 4.5.1, 4.5.2)

Unit III - Integral Calculus - Applications of Integration and Multiple Integrals
(20 hours)
Text: Thomas' Calculus ( $\mathbf{1 2}^{\text {th }}$ edition), Maurice D. Weir and Joel Hass, Pearson India Education Services.
Substitutions and the area between curves, arc length, polar coordinates, areas of surfaces of revolution, areas and length in polar coordinates (Section 5.6, $6.3,11.3,11.5)$.

Double and Iterated Integrals over rectangles, double integrals over general regions, area by double integration, double integrals in polar form, triple integrals in rectangular co-ordinates (Sections 15.1, 15.2, 15.3, 15.4, 15.5).

Unit IV - Linear Algebra - Eigen Values
(16 hours)
Text: Higher Engineering Mathematics (41 ${ }^{\text {st }}$ edition), B.S. Grewal, Khanna Pub.
Eigen values, eigen vectors, properties of eigen values, Cayley- Hamilton theorem (without proof), reduction to diagonal form, similarity of matrices, powers of a matrix, reduction of quadratic form to canonical form, nature of a quadratic form (Sections 2.13, 2.14, 2.15, 2.16, 2.17, 2.18.)

## References

1. Differential and Integral Calculus, S. Narayanan and T.K.M. Pillay, S. Viswanathan Printers and Publishers, Chennai
2. Text of Matrices, Shanti Narayan and P.K. Mittal, S. Chand \& Co.
3. Theory of and Problems of Matrices, Frank Ayres JR, Schaum's Outline Series, McGraw- Hill Book Company
4. Advanced Engineering Mathematics ( $10^{\text {th }}$ edition), E. Kreyszig, Wiley
5. Calculus ( $10^{\text {th }}$ edition), Anton, Bivens, Davis, Wiley-India

## Marks including choice

| Unit | Marks in End Semester Examination |  |
| :---: | :---: | :---: |
|  | Aggregate Marks | Maximum <br> Marks |
| I | 16 |  |
| II | 16 |  |
| III | 20 |  |
| IV | 14 |  |
| Total | $\mathbf{6 6}$ |  |

## Pattern of Question Paper

| Part A - | Short answer <br> - Answer any 4 questions | (5 questions x Mark leach = 5) <br> (4 questions $x$ Mark leach $=4$ ) |
| :---: | :---: | :---: |
| Part B - | Short Essay <br> - Answer any 7 questions | ( 10 questions x Marks 2 each $=20$ ) (7 questions x Marks 2 each=14) |
| Part C - | Essay <br> - Answer any 4 questions | (7 questions x Marks 3 each $=21$ ) <br> ( 4 questions $x$ Marks 3 each=12) |
| Part D - | Long Essay <br> Answer any 2 questions | (4 questions x Marks 5 each $=20$ ) ( 2 questions $x$ Marks 5 each=10). |

## COMPLEMENTARY ELECTIVE COURSE 3: <br> MATHEMATICS FOR CHEMISTRY III

| SEMESTER | COURSE CODE | HOURS <br> PER <br> WEEK | CREDIT | EXAM <br> HOURS | MARKS |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | END SEM |  |  |  |  |  |  |
| III | 3C03 MAT-CH | 5 | 3 | 3 | 40 | 10 | 50 |

## COURSE OUTCOMES

| CO1 | Understand Ordinary differential equations, Geometrical meaning of <br> $y^{\prime}=f(x, y)$ and Direction Fields. |
| :---: | :--- |
| CO2 | Understand Methods of solving Differential Equations: Separable <br> ODEs, Exact ODEs, Integrating Factors, Linear ODEs and Bernoulli <br> Equation. |
| CO3 | Understand Orthogonal Trajectories, Existence and Uniqueness of <br> Solutions. |
| CO4 | Understand Second order ODEs, Homogeneous Linear ODEs of <br> second order, Homogeneous Linear ODEs with constant coefficients, <br> Differential Operators, Euler-Cauchy Equation, Existence and <br> Uniqueness of Solutions - Wronskian, Nonhomogeneous ODEs and <br> Solution by variation of Parameters |
| CO5 | Understand Laplace Transform, Linearity, first shifting theorem, <br> Transforms of Derivatives and Integrals, ODEs, Unit step Function, <br> second shifting theorem, Convolution, Integral Equations, <br> Differentiation and integration of Transorms and to solve special <br> linear ODE's with variable coefficients and Systems of ODEs |
| CO6 | Understand Fourier series, arbitrary period, Even and Odd functions, <br> Half-range Expansions. |

## 3CO3 MAT-CH: Mathematics for Chemistry III

Unit I - First Order Ordinary Differential Equations
(25 hrs)
Text: Advanced Engineering Mathematics ( $10^{\text {th }}$ edition), E. Kreyszig.
Basic concepts, Geometrical meaning of $y^{\prime}=f(x, y)$. Direction Fields (numerical method by Euler is excluded), Separable ODEs (modelling is excluded), Exact ODEs, Integrating Factors, Linear ODEs, Bernoulli Equation (population dynamics is excluded).
(Sections 1.1, 1.2, 1.3, 1.4, 1.5)

## Unit II: Second Order Ordinary Differential Equations

(20 hrs)
Text: Advanced Engineering Mathematics (10 ${ }^{\text {th }}$ edition), E. Kreyszig, Wiley.
Homogeneous Linear ODEs of second order, Homogeneous Linear ODEs with constant coefficients, Differential Operators, Euler-Cauchy Equation, Existence and Uniqueness of Solutions - Wronskian (statement of Theorems only, proofs omitted), Nonhomogeneous ODEs, Solution by variation of Parameters.
(Sections 2.1 to 2.10 except 2.4, 2.8 and 2.9)

Unit III: Laplace Transforms and its Applications ( 25 hrs )
Text: Advanced Engineering Mathematics (10 ${ }^{\text {th }}$ edition), E. Kreyszig, Wiley.
Laplace Transform, Linearity, first shifting theorem ( $s$-Shifting), Transforms of Derivatives and Integrals, ODEs, Unit step Function, second shifting theorem ( $t$ - Shifting), Convolution, Integral Equations, Differentiation and integration of Transforms, special linear ODE's with variable coefficients, Systems of ODEs, Laplace Transform, General Formulas, Table of Laplace Transforms.
(Sections 6.1, 6.2, 6.3, 6.5, 6.6, 6.7, 6.8, 6.9 (Proofs are omitted))

## Unit IV Fourier Series

(20 hrs)
Text: Advanced Engineering Mathematics (10 ${ }^{\text {th }}$ edition), E. Kreyszig, Wiley.
Fourier series, arbitrary period, Even and Odd functions, Half-range Expansions. (Proofs are omitted)
(Sections 11.1, 11.2 )

## References

1. Higher Engineering Mathematics ( $41^{\text {st }}$ edition), B .S. Grewal, Khanna Pub.
2. Elementary Differential Equations and Boundary Value Problems, W.E. Boyce and R.C. Deprima, Wiley
3. Differential Equations, S.L. Ross, Wiley
4. An Introduction to Ordinary Differential Equtions, E.A. Coddington, Printice Hall
5. A Text of Engineering Mathematics, N.P. Bali and Manish Goyal, Laxmi Pub.

Marks including choice

| Unit | Marks in End Semester Examination |  |
| :---: | :---: | :---: |
|  | Aggregate Marks | Maximum <br> Marks |
| I | 19 |  |
| II | 16 |  |
| III | 18 |  |
| IV | 13 |  |
| Total | $\mathbf{6 6}$ |  |

## Pattern of Question Paper

| Part A - | Short answer <br> - Answer any 4 questions | ( 5 questions x Mark 1each $=5$ ) <br> (4 questions $x$ Mark leach $=4$ ) |
| :---: | :---: | :---: |
| Part B - | Short Essay <br> - Answer any 7 questions | $\begin{aligned} & (10 \text { questions x Marks } 2 \text { each }=20 \text { ) } \\ & (7 \text { questions } x \text { Marks } 2 \text { each=14) } \end{aligned}$ |
| Part C - | Essay <br> - Answer any 4 questions | $\begin{aligned} & (7 \text { questions } \times \text { Marks } 3 \text { each }=21) \\ & (4 \text { questions } \times \text { Marks } 3 \text { each }=12) \end{aligned}$ |
| Part D - | Long Essay <br> - Answer any 2 questions | $\begin{aligned} & (4 \text { questions x Marks } 5 \text { each }=20) \\ & (2 \text { questions } \times \text { Marks } 5 \text { each }=10) \end{aligned}$ |

## COMPLEMENTARY ELECTIVE COURSE 4: <br> MATHEMATICS FOR CHEMISTRY IV

| SEMESTER | COURSE CODE | HOURS <br> PER <br> WEEK | CREDIT | EXAM <br> HOURS | MARKS |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | END SEM <br> EXAM | INTERNAL | TOTAL |  |  |  |
| IV | 4C04 MAT-CH | 5 | 3 | 3 | 40 | 10 | 50 |

## COURSE OUTCOMES

| CO 1 | Understand Partial Differential Equations, Modeling, Vibrating <br> String, Wave Equation.. |
| :---: | :--- |
| CO 2 | Solve PDE by Separating Variables, by use of Fourier Series, <br> D-Alembert's solution of the wave equation and Heat Equation. |
| CO 3 | Understand Numerical Integration, Trapezoidal Rule, Simpson's <br> $1 / 3-$ Rule |
| CO 4 | Understand Numerical methods to find Solutions of Ordinary <br> Differential Equations: Solution by Taylor's series, Euler's method, <br> Modified Euler's method, Runge-Kutta methods. |
| CO 5 | Understand volumes of solid using cross sections and areas of <br> surfaces of revolution |

## 4C04 MAT-CH: Mathematics for Chemistry IV

Unit I - Partial differential Equations
(30 hrs)
Text: Advanced Engineering Mathematics (10 ${ }^{\text {th }}$ edition), E. Kreyszig, Wiley.
Basic Concepts, Modeling: Vibrating String, Wave Equation, Solution by Separating Variables, Use of Fourier Series, D-Alembert's solution of the wave equation, Heat Equation, Solution by Fourier Series.
( sections 12.1, 12.2, 12.3, 12.4, 12.5, 12.6) (Excluding steady two dimensional heat problems and Laplace equation of 12.5).

## Unit II - Numerical Analysis

(30 hrs)
Text: Introductory Methods of Numerical Analysis (fifth edition), S.S. Sastry, PHI Learning
Numerical Integration - Trapezoidal Rule, Simpson's 1/3-Rule
(Sections 6.4, 6.4.1, 6.4.2)
Numerical Solutions of Ordinary Differential Equations: Introduction, Solution by Taylor's series, Euler's method, Modified Euler's method, RungeKutta methods.
(Sections 8.1, 8.2, 8.4, 8.4.2, 8.5)

## Unit III - Group Theory

Text: Group Theory in Chemistry, M.S. Gopinathan and V. Ramakrishnan, Vishal Pub. Co. (30 hrs)
Symmetry elements and symmetry operations: Identity, rotation, reflection, improper rotation and inversion.
Group theory - Definition of group, order of a group, classes and similarity transformations, point group classifications, subgroups- group multiplication table. Matrix representation of symmetry operations - rotation, reflection, identity.
(Sections 1.1, 1.2, 2.1, 2.2, 2.3, 3.1, 3.2).

## References

1. Higher Engineering Mathematics ( $41^{\text {st }}$ edition), B .S. Grewal, Khanna Pub.
2. Mathematical methods, S. R. K. Iyengar and R. K. Jain, Narosa Pub.
3. Molecular Symmetry and Group Theory, Robert L. Carter, Wiley.
4. Chemical Applications of Group Theory ( $3^{\text {rd }}$ edition), F. Albert Cotton, Wiley
5. Group Theory and Symmetry in Chemistry, Gurudeep Raj, Ajay Bhagi and Vinod Jain, Krishna Prakashan Media.

Marks including choice

| Unit | Marks in End Semester Examination |  |
| :---: | :---: | :---: |
|  | Aggregate Marks | Maximum <br> Marks |
| I | 22 | 4 |
| II | 22 |  |
| III | 22 |  |
| Total | $\mathbf{6 6}$ |  |

Pattern of Question Paper

| Part A - | Short answer <br> - Answer any 4 questions | $\begin{aligned} & (5 \text { questions x Mark leach }=5) \\ & \quad(4 \text { questions } \times \text { Mark leach }=4) \end{aligned}$ |
| :---: | :---: | :---: |
| Part B - | Short Essay <br> - Answer any 7 questions | ( 10 questions x Marks 2 each $=20$ ) <br> (7 questions $x$ Marks 2 each=14) |
| Part C - | Essay <br> - Answer any 4 questions | $\begin{aligned} & (7 \text { questions } \times \text { Marks } 3 \text { each }=21) \\ & (4 \text { questions } \times \text { Marks } 3 \text { each }=12) \end{aligned}$ |
| Part D - | Long Essay <br> - Answer any 2 questions | (4 questions x Marks 5 each $=20$ ) <br> ( 2 questions $x$ Marks 5 each=10) |

